103(a) as being unpatentable over <u>Tsuji et al./Takagi et al.</u>, in view of <u>Motoda et al.</u> (U.S. Patent No. 5,737,350).

First, Applicant wishes to thank the Examiner for the courtesy of an interview granted to Applicant's representative on August 12, 2002, at which time the outstanding issues in this case were discussed. Arguments similar to the ones developed hereinafter were presented and the Examiner indicated that he would reconsider the outstanding grounds for rejection upon formal submission of a response.

In response to the rejection of Claims 1-4, 7, 8, 10, 11, 13-18, 20 and 21 under 35 U.S.C. §103(a), Applicants respectfully request reconsideration of these rejections and traverse the rejections as discussed next.

Briefly recapitulating, Applicant's invention relates to a light-receiving device which converts an incident light into an electric current with quantum-wave interference layer units having plural periods of a pair of a first layer and a second layer. The second layer has a wider band gap than said first layer. A carrier accumulation layer is disposed between adjacent two of the quantum-wave interference layer units. Each thickness of the first and the second layers is determined by multiplying by an *even* number one fourth of quantum-wave wavelength of carriers in each of the first and the second layers and the carrier accumulation layer has a band gap narrower than that of the second layer. In other words, the thicknesses are multiples of  $\mathcal{N}2$ .

Turning now to the applied prior art, the <u>Takagi et al.</u> publication discloses a structure wherein the thicknesses of the layers are determined by multiplying  $\mathcal{N}4$  by an *odd* number. In other words, the thicknesses are multiples of  $\mathcal{N}4$ . The <u>Takagi et al.</u> publication fails to teach or suggest a structure with layers having thicknesses that are multiples of  $\mathcal{N}2$ , as claimed by Applicant.

The outstanding Office Action takes the position that the voltage of the Takagi et al. device can be adjusted to change the wavelength  $\lambda$  and obtain a structure with layers having thicknesses that are multiples of  $\lambda/2$ . Applicant strongly disagrees with this position, as discussed next with Attachments X1-2 and A-E. Attachment X1 shows a structure with barrier and well layers having thicknesses  $D_B$  and  $D_W$  equal to  $\lambda_D(E_0)/4$  and  $\lambda_W(E_0)/4$  respectively at an energy  $E_0$ . As suggested by the Office Action, at some other energy  $E_1$ , the carriers in the barrier layers can have a wavelength  $\lambda_B(E_1)$  such that  $D_B = \lambda_B(E_1)/2$ . The question now is: what is the wavelength  $\lambda_W(E_1)$  of the carriers in the well layers as a function of  $D_W$ ? The Office Action suggests that  $D_W = \lambda_W(E_1)/2$ . As shown by Equations (1)-(17) of Attachment X2, however,  $D_W = \frac{1}{4}\lambda_W(E_1)\left[(4E_0 + V)/(E_0 + V)\right]^{1/2}$ . In other words,  $D_W$  is never equal to  $\lambda_W(E_1)/2$ , except when V = 0, which is outside the scope of the claims. The above conclusion can be reached by other means, as discussed next with the help of Attachments A-E.

The outstanding Office Action appears to consider that the wavelength of electrons in a barrier layer is equivalent to the wavelength of electrons in a well layer. For example, at page 7, line 15, the outstanding Office Action states that " $\lambda_B = \lambda_W$ ." This position is incorrect. For a given energy E, one has  $\lambda_B = h/(2m_B E)^{1/2}$  and  $\lambda_W = h/(2m_W E + V)^{1/2}$ . Because  $m_B \neq m_W$  and  $V \neq 0$ , it follows that  $\lambda_B \neq \lambda_W$ .

As noted above, if one starts with a structure wherein the  $D_B = \lambda_B/4$  and  $D_W = \lambda_W/4$ , and then adjusts the voltage so that  $D_B = \lambda_B/2$ , as suggested by the outstanding Office Action, the thickness for the well layer  $(D_W)$  will not be equal to a multiple of  $\lambda_W/2$ . Similarly, if the voltage is adjusted so that  $D_W = \lambda_W/2$ , the thickness for the barrier layer  $(D_B)$  will not be equal to a multiple of  $\lambda_B/2$ . As explained in detail below with Attachments A-E, the only

See outstanding Office Action, from page 3, last 5 lines to page 4, line 1.

structure that satisfies  $D_B = \lambda_B/4$  and  $D_W = \lambda_W/4$  at one voltage and satisfies  $D_B = \lambda_B/2$  and  $D_W = \lambda_W/2$  at another voltage is a structure where V = 0. Such a structure, or course, is outside the scope of the claims, which recite that one layer has a band gap wider than the other.

In the figures prepared by the Examiner and attached to the previous Office Action, the wave represented by " $\lambda$ " does not show a constant wavelength. In the Examiner's figures, the thickness of the W layer is obviously different from that of the B layer. The wave shown in the Examiner's figure changes its phase by 90 degrees in the W layer and then also changes its phase by 90 degrees in B layer. In the Examiner's figures,  $\frac{1}{4}$  of wavelength  $\frac{1}{4}$  in the B layer and  $\frac{1}{4}$  of wavelength  $\frac{1}{4}$  in the B layer and  $\frac{1}{4}$  of wavelength  $\frac{1}{4}$  in the Examiner's figure. Also " $\frac{1}{4}$  =  $\frac{1}{4}$  D<sub>B</sub>" and " $\frac{1}{4}$  =  $\frac{1}{4}$  The wave stablished in the Examiner's figure. Also " $\frac{1}{4}$  =  $\frac{1}{4}$  Examiner's figure. If " $\frac{1}{4}$  =  $\frac{1}{4}$  The wave shown in the figure is not a sine wave. Because the wave is not a sine wave, a constant wavelength  $\frac{1}{4}$  cannot be defined. Because " $\frac{1}{4}$  =  $\frac{1}{4}$  A<sub>W</sub>,"  $\frac{1}{4}$  cannot be defined by  $\frac{1}{4}$  and  $\frac{1}{4}$  In the equations (1) and (2) in the previously filed Attachment 1A, the relationship between  $\frac{1}{4}$  and  $\frac{1}{4}$  is not clear. In that respect, Applicant does not understand what is meant by " $\frac{1}{4}$ " from the Examiner's figures. " $\frac{1}{4}$ " cannot be determined to be " $\frac{1}{4}$ " while " $\frac{1}{4}$ " is not defined.

The Examiner's wave is better shown by drawing an extremely thin B layer and an extremely thick W layer, as shown in Attachment A. From Attachment A, it becomes clear that " $\lambda$ " =  $\lambda$ 2" has no meaning. That is, there is no wave having a constant wavelength in the multiple units of a well layer and a barrier layer.

With respect to the outstanding Office Action statements made at page 7, lines 8-13, Applicant's position is that the thickness of a barrier layer is constant: D<sub>B</sub>. In other words,

the thickness for E1 is  $D_B$ , which can be obtained from the formula (2) and determined by  $\lambda_B$ . Applicant agrees with the outstanding Office Action at page 7, lines 13-17 that  $D_B$  and  $D_W$  are determined by the equations (2) and (1), respectively. Applicant further agrees that  $D_B$  and  $D_W$  do not vary.

With respect to the equations in the previously filed Attachment 1A,  $D_B$  and  $D_W$  are obtained by substituting the value of  $E_0$  for the equations (1) and (2). So, in the following equations starting from the equation (2-1),  $D_W$ ,  $D_B$ ,  $\lambda_W$ , and  $\lambda_B$  are fixed values. That is, thicknesses of a well layer and a barrier layer when reflection occurs,  $D_B$  and  $D_W$ , can be obtained.

Next, the Examiner shows a wave represented by  $\lambda$  in energy E and a wave represented by  $\lambda$ ' in energy E' in the Examiner's figures.  $\lambda_B/4$  and  $\lambda_W/4$  make 1/2 period of the wave  $\lambda$ , and  $\lambda_B/2$  and  $\lambda_W/2$  make 1 period of the wave  $\lambda$ '.

As noted above, Applicant agrees with the Examiner that  $\lambda_W$  and  $\lambda_B$  can be obtained from the equations (2) and (1) in the previously filed Attachment 1A. In short,  $\lambda_W$  and  $\lambda_B$  can be obtained by substituting E for  $E_0$  in the equations (2) and (1). So Applicant believes the Examiner also agrees that  $\lambda_W$ ' and  $\lambda_B$ ' can be obtained by substituting E' for  $E_0$  in the equations (2) and (1).

The point is  $\lambda_W$  and  $\lambda_B$ , obtained by the equations (2) and (1) by substituting E, and  $\lambda'_W$  and  $\lambda'_B$ , obtained by the equations (2) and (1) by substituting E', cannot satisfy the formulas  $\lambda_B' = \lambda_B/2$  and  $\lambda_W' = \lambda_W/2$ .

Attachment B provides a more detailed explanation of this point. The wavelength conditions shown in the Examiner's figures are satisfied only when the equation (18) in the attached paper B is established. As obvious from the equations (11) and (12), the equation (18) is established only when V=0. In short, the wavelength conditions the Examiner

suggests are established only when a well layer and a barrier layer are made by the equivalent materials and  $m_W = m_B$ . Then,  $\lambda_W = \lambda_B$  is also satisfied.

Accordingly, a wave with a phase synchronized in the well layer and the barrier layer is not formed at multiple energies.

Attachment C helps to comprehend previously filed Attachment 1A and 1B more clearly. Equations (1) and (2) in attachment C are the same equations previously used in previous Office Actions. In equation (2-1) of attachment C, the energy having a wavelength  $\lambda_B/m$  in a barrier layer is merely replaced with  $E_1$ . Similarly, in equation (1-1), the energy having a wavelength  $\lambda_W/m$  in a barrier layer is merely replaced with  $E_2$ .

Equations (4) through (8) are self-explanatory. Equation (8) shows that a common energy, which makes the wavelength  $\lambda_W$  and  $\lambda_B$  of a well layer and a barrier layer at energy  $E_0$  to be its 1/m multiple, does not exist. Accordingly, the energy which satisfies  $\lambda_B$ ' =  $\lambda_B/2$  and  $\lambda_W$ ' =  $\lambda_W/2$  as shown in the Examiner's figures never exists. Attachment C generalizes and explains that point.

As shown in Attachments D and E, in-phase wave is generated in the thicknesses of a well layer and a barrier layer only at one energy: E<sub>0</sub>.

In view of the above, the cited prior art fails to teach or suggest every feature recited in Applicant's claims, so that Claims 1-31 are believed to be patentably distinguishable over the cited prior art. Accordingly, Applicant respectfully traverses, and requests reconsideration of, the rejections based on the Takagi et al. publication.<sup>2</sup>

<sup>&</sup>lt;sup>2</sup> See MPEP 2131: "A claim is anticipated <u>only if each and every</u> element as set forth in the claim is found, either expressly or inherently described, in a single prior art reference," (Citations omitted) (emphasis added). See also MPEP 2143.03: "All words in a claim must be considered in judging the patentability of that claim against the prior art."

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Consequently, in view of the present amendment, no further issues are believed to be outstanding in the present application, and the present application is believed to be in condition for formal Allowance. A Notice of Allowance for Claims 1-31 is earnestly solicited.

Should the Examiner deem that any further action is necessary to place this application in even better form for allowance, the Examiner is encouraged to contact Applicant's undersigned representative at the below listed telephone number.

Respectfully submitted,

OBLON, SPIVAK, McCLELLAND, MAIER & NEUSTADT, P.C.

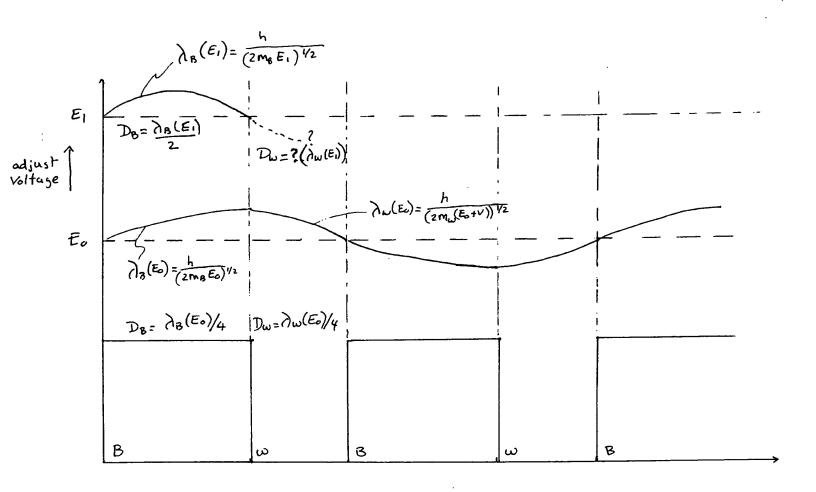
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Basic physics tells us:
$$(1) \quad \lambda_{B}(E_{o}) = \frac{h}{(2 \, \text{m}_{B} E_{o})^{1/2}}, \quad (2) \quad \lambda_{B}(E_{o}) = \frac{h}{[2 \, \text{m}_{\omega}(E_{o} + V)]^{1/2}}$$

(3) 
$$\lambda_{B}(E_{I}) = \frac{h}{(2m_{B}E_{I})^{1/2}}$$
; (4)  $\lambda_{\omega}(E_{I}) = \frac{h}{[2m_{\omega}(E_{I}+\nu)]^{1/2}}$ 

our initial conditions are

(5) 
$$D_B = \partial_B(E_0)/4$$
; (6)  $D_W = \partial_W(E_0)/4$ 

$$(7) D_B = \partial_B(E_1)/2$$

our goal is to find whether:

$$D\omega = \lambda \omega(E_1)/2?$$

### ATTACHMENT X2 09/461.756

(1) + (5) => 
$$D_B = \frac{h}{4(2m_B E_0)^{1/2}}$$
 .... (8)

(3) + (7) => 
$$D_B = \frac{h}{2(2 m_B E_1)V_2} - \dots - (9)$$

(11) + (4) => 
$$\lambda_{\omega}(E_1) = \frac{h}{[2m_{\omega}(4E_0 + V)]^{1/2}}$$

multiply (12) by 
$$\frac{\sqrt{\frac{E_0+V}{4E_0+V}}}{\sqrt{\frac{E_0+V}{4E_0+V}}} = 1 \Rightarrow \lambda \left( \frac{E_0}{4E_0+V} \right) = \frac{h \sqrt{\frac{E_0+V}{4E_0+V}}}{2m_{\omega}(4E_0+V)} \frac{1}{|V|} \frac{(E_0+V)^{1/2}}{(4E_0+V)^{1/2}}$$

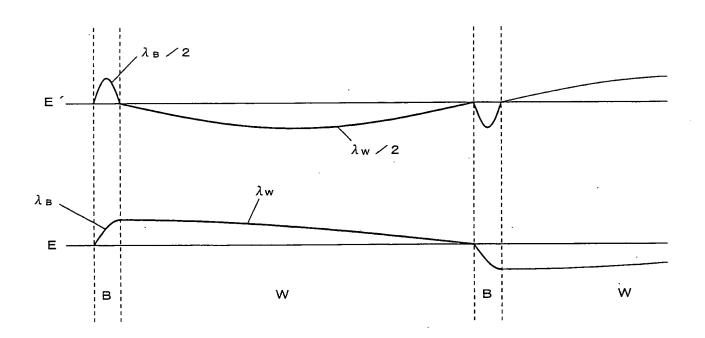
$$\frac{\partial}{\partial \omega(E)} = \frac{h\sqrt{\frac{E_0 + V}{4E_0 + V}}}{2M\omega(E_0 + V)^{1/2}} \qquad ---- \qquad (13)$$

$$(2) + (13) \Longrightarrow \lim_{\omega} (E_1) = \lim_{\omega} (E_0) \sqrt{\frac{E_0 + \nu}{4E_0 + \nu}} - - - - (14)$$

(6) + (14) =) 
$$\partial_{\omega}(E_1) = 4 D_{\omega} \sqrt{\frac{E_0 + \nu}{4E_0 + \nu}} ---- (15)$$

$$D_{\omega} = \frac{\partial_{\omega}(E_{1})}{4} \sqrt{\frac{4E_{0}+V}{E_{0}+V}} - - - (16)$$

$$D_{\omega} \not\not + \partial_{\omega}(\varepsilon_{1}) \qquad (17)$$



## ATTACHMENT E 09/461,756

 $\lambda_{\text{W}}$  and  $\lambda_{\text{B}}$  are decided by E

$$\lambda_{W} = \frac{h}{\sqrt{2 m_{W} (E + V)}} \qquad \cdots (1 1)$$

$$\lambda_{B} = \frac{h}{\sqrt{2 m_{B} E}} \qquad \cdots (1 2)$$

 $\lambda_{\text{W}}$  and  $\lambda_{\text{B}}$  are decided by E'

$$\lambda_{w'} = \frac{h}{\sqrt{2 m_w (E' + V)}} \qquad \cdots (1 3)$$

$$\lambda_{B'} = \frac{h}{\sqrt{2 m_B E'}} \qquad \cdots (1 4)$$

We get Eq. (15) eliminating E from Eqs. (11) and (12).

$$V = \frac{h^{2}}{2} \left( \frac{1}{m_{W} \lambda_{W}^{2}} - \frac{1}{m_{B} \lambda_{B}^{2}} \right) \qquad \cdots (15)$$

We get Eq. (16) eliminating E from Eqs. (13) and (14).

$$V = \frac{h^{2}}{2} \left( \frac{1}{m_{W} \lambda_{W}^{2}} - \frac{1}{m_{B} \lambda_{B}^{2}} \right) \qquad \cdots (16)$$

from Eqs. (15) and (16)

$$\frac{1}{m_{W} \lambda_{W}^{2}} - \frac{1}{m_{B} \lambda_{B}^{2}} = \frac{1}{m_{W} \lambda_{W}^{2}} - \frac{1}{m_{B} \lambda_{B}^{2}} \qquad \cdots (17)$$

If  $\lambda_B' = \lambda_B / 2$ ,  $\lambda_w' = \lambda_w / 2$  as shown in the examiner's drowing, we get the following Eq.

$$\frac{\lambda_{B}}{\lambda_{W}} = \sqrt{\frac{m_{W}}{m_{B}}} \qquad \cdots (18)$$

#### ATTACHMENT C 09/461,756

 $\lambda_w$  and  $\lambda_B$  are decided by  $E_0$ 

$$\lambda_{w} = \frac{h}{\sqrt{2 \, m_{w} \, (E_{0} + V)}} \qquad \cdots (1)$$

$$\lambda_{B} = \frac{h}{\sqrt{2 m_{B} E_{0}}} \qquad \cdots (2)$$

 $E_{\text{l}}$  which is corresponding to  $\frac{\lambda_{\text{B}}}{m}$  is obtained as follows.

$$\frac{\lambda_{B}}{m} = \frac{h}{\sqrt{2 m_{B} E_{1}}} \qquad \cdots (2-1)$$

Here m is integer  $\geq 2$ .

from Eq. (2-1).

$$E_1 = \frac{h^2 m^2}{2 m_B \lambda_B^2} \qquad \cdots (3)$$

 $E_z$  which is corresponding to  $\frac{\lambda w}{m}$  is obtained as follows.

$$\frac{\lambda_{w}}{m} = \frac{h}{\sqrt{2 m_{w} (E_{2} + V)}} \cdots (1 - 1)$$

from Eq. (1-1).

$$E_{2} = \frac{h^{2}m^{2}}{2 m_{w} \lambda_{w}^{2}} - V \qquad \cdots (4)$$

We get Eq. (5) eliminating  $E_{\,0}$  from Eqs. (1) and (2).

$$V = \frac{h^{2}}{2} \left( \frac{1}{m_{W} \lambda_{W}^{2}} - \frac{1}{m_{B} \lambda_{B}^{2}} \right) \qquad \cdots (5)$$

Accordingly Eq. (6) is obtained from Eqs. (4), (3), (5).

$$E_{z} - E_{1} = \frac{h^{2} (m^{2} - 1)}{2} (\frac{1}{m_{W} \lambda_{W}^{2}} - \frac{1}{m_{B} \lambda_{B}^{2}}) \cdots (6)$$

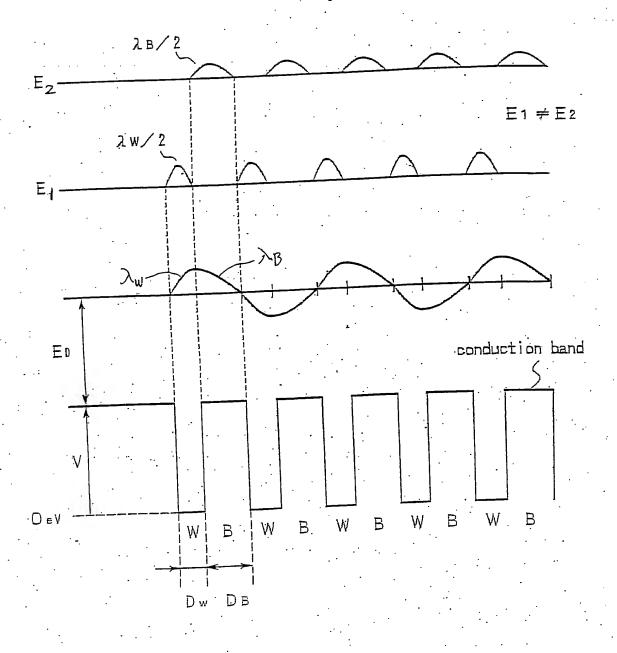
Substituting  $(\frac{1}{m_W \lambda_W^2} - \frac{1}{m_B \lambda_B^2})$  of Eq. 5 into Eq. (6), we get Eq. (7)

$$E_2 - E_1 = (m^2 - 1) V$$
 ... (7)

As a result,

$$E_2 \neq E_1$$
. ... (8)

## Design for Retlection



# Degign for transmission

